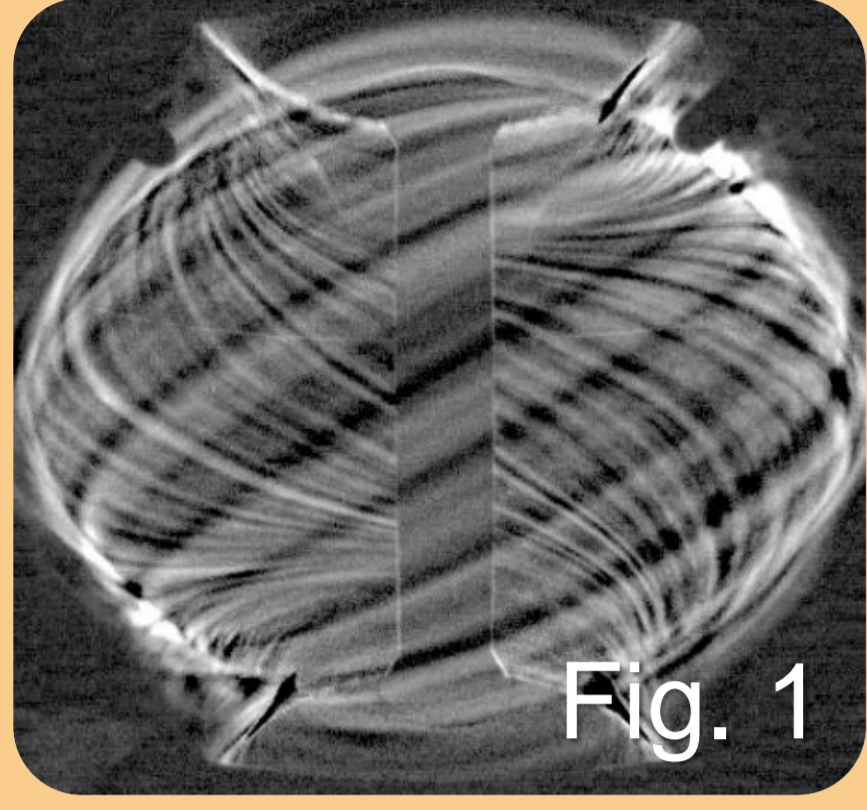


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Motivation



- Coherent **filamentary structures** dominate tokamak turbulent cross-field particle transport [1]
- These intermittent structures' properties govern scrape off layer (SOL) **density profile shape** [2]
- Unfiltered **fast visible cameras** (~100 kHz) can passively collect large quantities of filament data
- A better understanding of filaments' dependence on plasma properties can help **minimise wall erosion** and **maximise machine lifetime**

Technique

- Unfiltered **fast camera** collects mostly D_α light

- Intensity, I , function of neutral & electron density, n_0 & n_e , and electron temperature, T_e :
– $I = n_0 f(n_e, T_e)$

1. Images processed to **enhance filaments**:

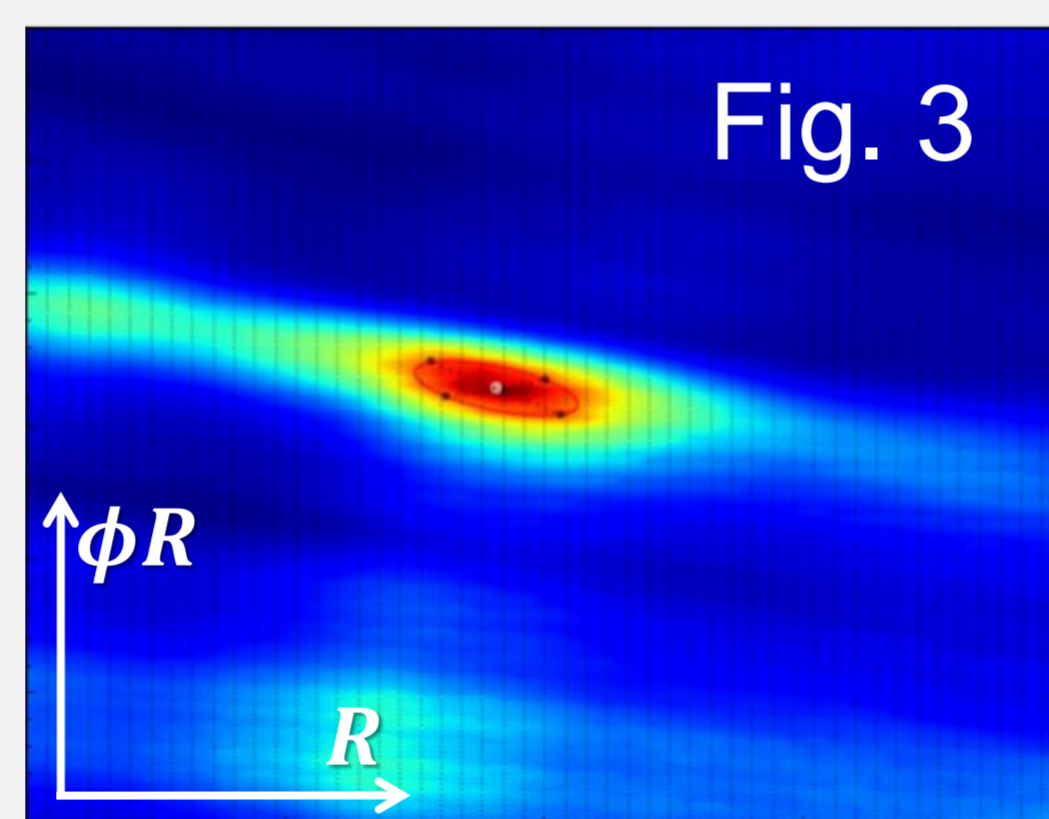
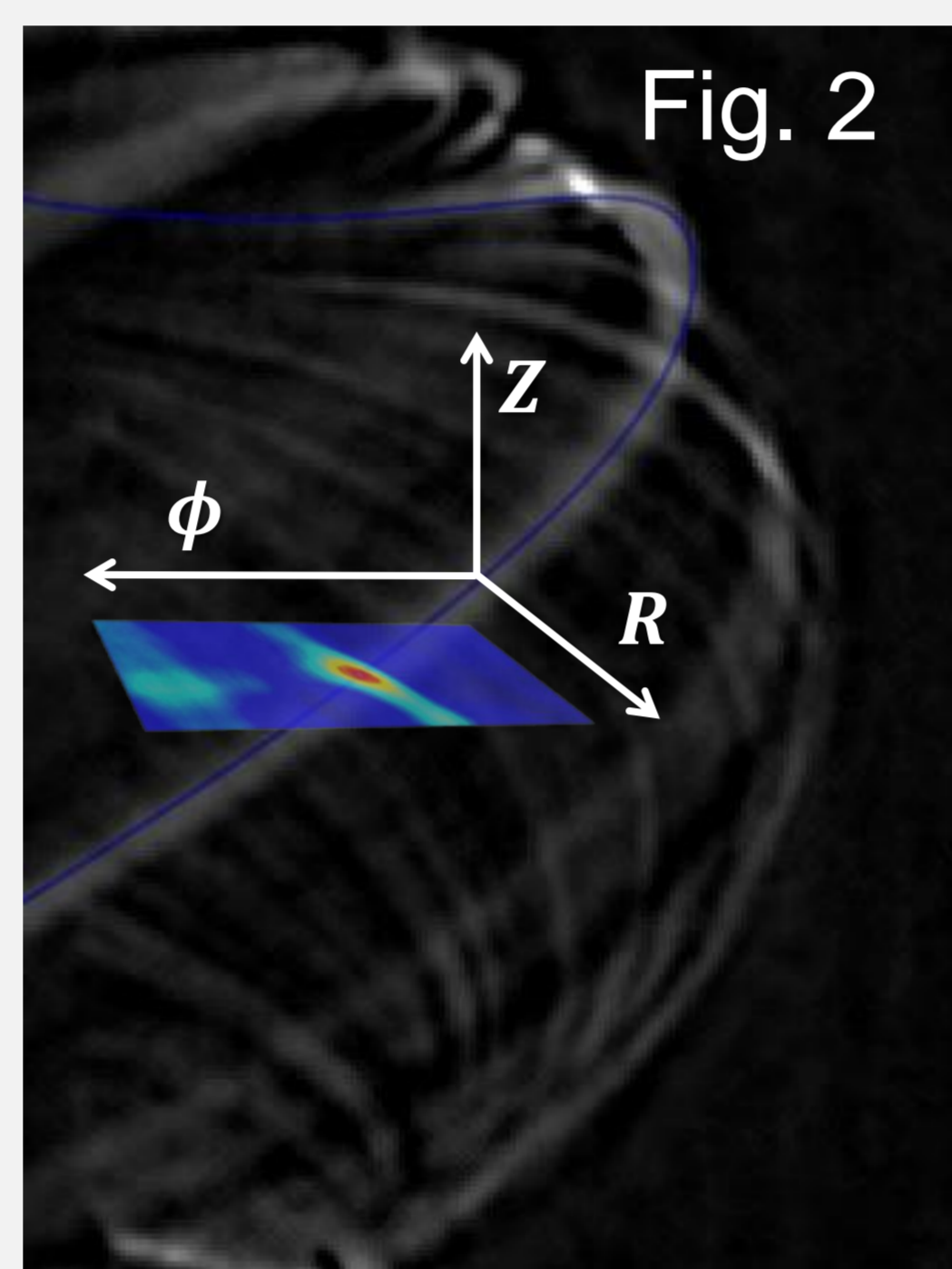
- Background subtraction, noise reduction, sharpening
- Image flattened to give image vector u_j

2. **Invert images**:

- Trace field line (FL) grid with Efit++ equilibria
- FLs parameterised by $(R, \phi R)$ coordinate of intersection with midplane ($Z = 0$)
- Project FLs onto camera view
- Stack flattened images of field lines to form **geometry matrix** G_i^j
- The emission along field lines, P_i , is approximated by the "pseudo-inversion":
$$P_i = G_i^j u_j$$

3. Full inversion is approximately recovered by regularised SART **point spread function** matrix inversion:

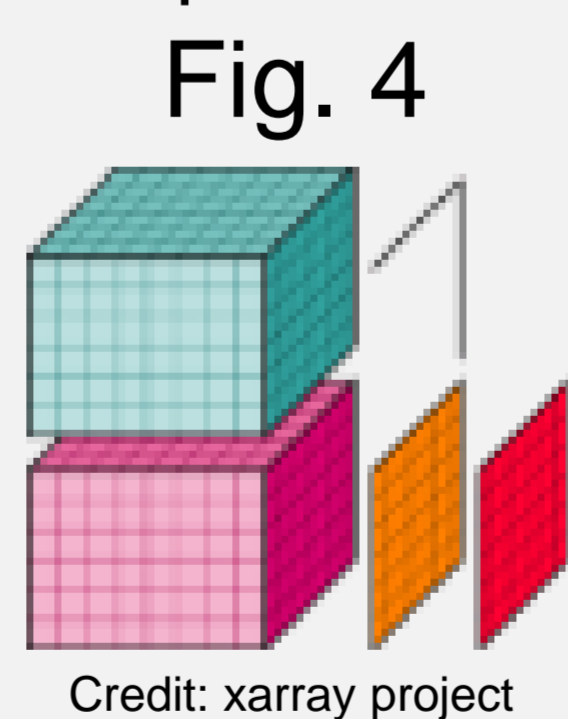
- $\epsilon_k = P_i (G_i^j G_k^j)^{-1}$
- Where $(G_i^j G_k^j)^{-1} = F_k^i$ is a point spread function matrix



Pseudo-Langmuir probe analysis

- Bulk of filament measurements in the literature have used Langmuir probe measurements
- Therefore important to compare new **fast camera** technique with **reciprocating Langmuir probe (RCP)** data for common reference point
- Slices through stacks of inverted frame data yield **1D data series** which can be treated with Langmuir probe statistical analysis techniques

- **Temporal slices** give variation in average intensity along a given field line, similar to **RCP I_{sat} profiles**
- **Radial slices** provide similar signals to reciprocating Langmuir probe radial profiles
- **Peak detection** enables conditional averaging, waiting time, amplitude distribution measurements etc.

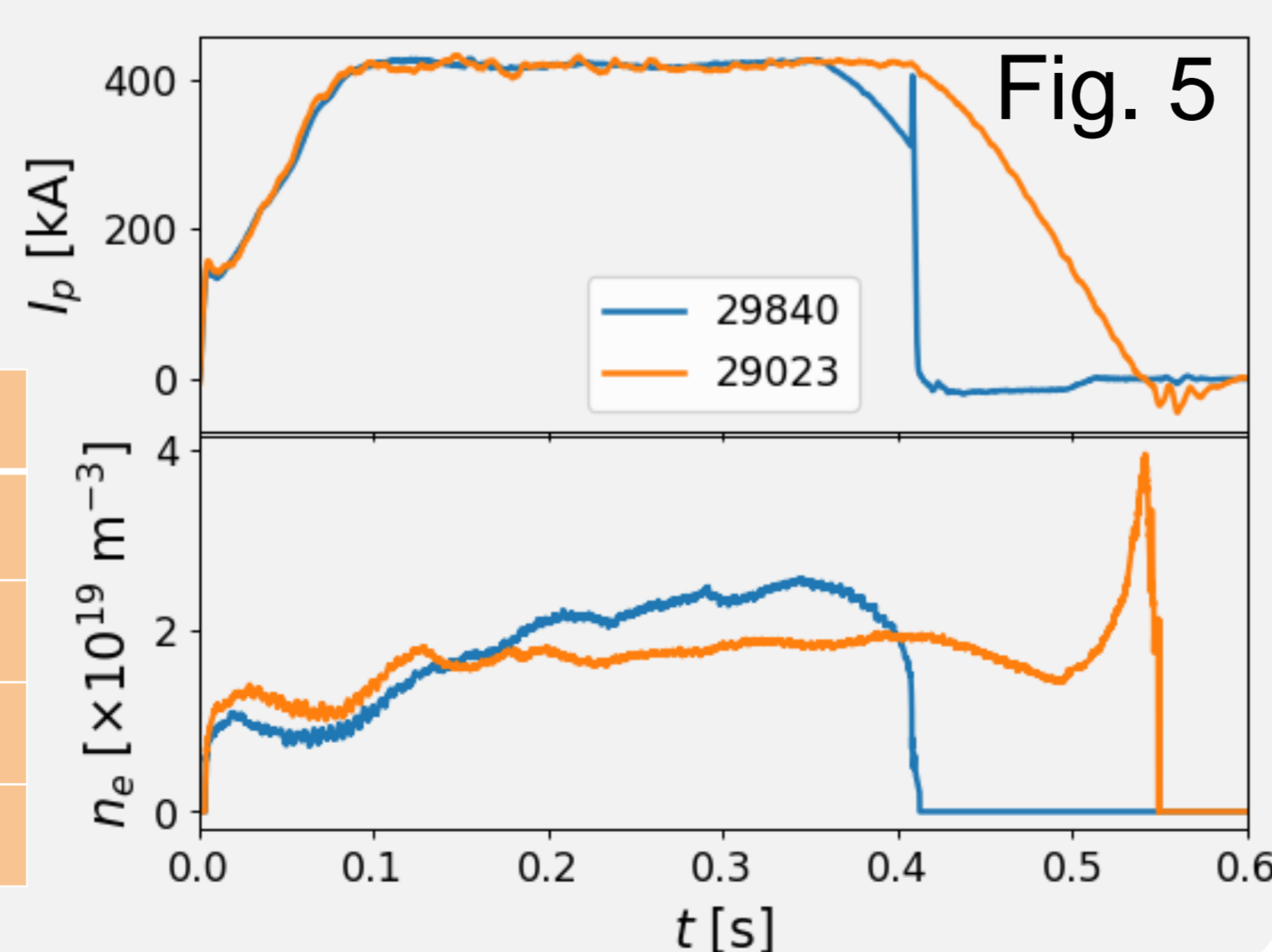


Credit: xarray project

Pulse information

- Ohmic, L-mode, connected double null (CDN) MAST plasmas

Parameter	Value
Plasma current, I_p	400 kA
Plasma density, n_e	$4 \times 10^{19} \text{ m}^{-3}$
Camera pulse	29840
RCP pulse	29023



SOL profiles

- **Fig. 6** shows intensity **time series** $I(t)$ for the two diagnostics at the separatrix, $r_{sep} = 0 \text{ cm}$

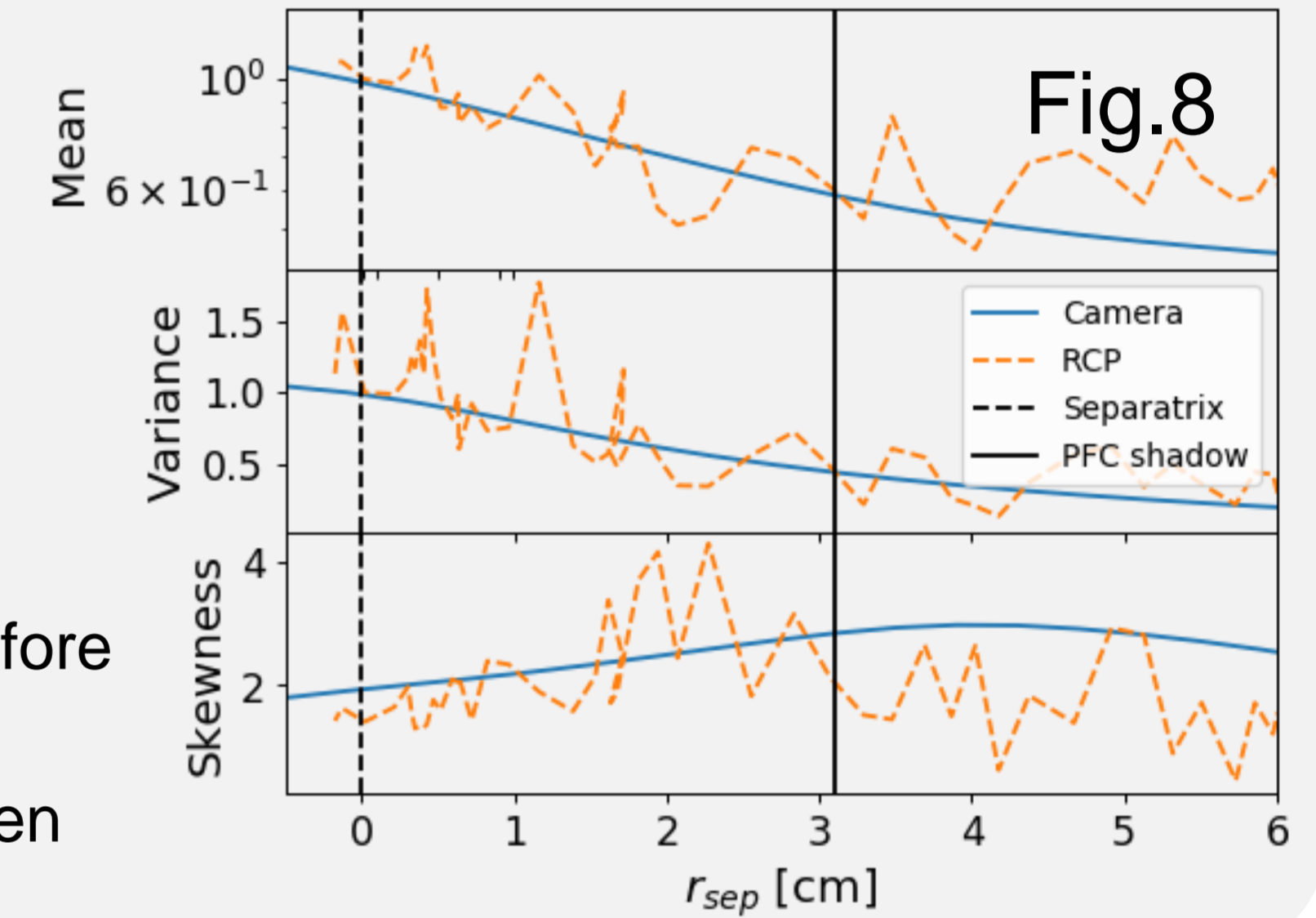
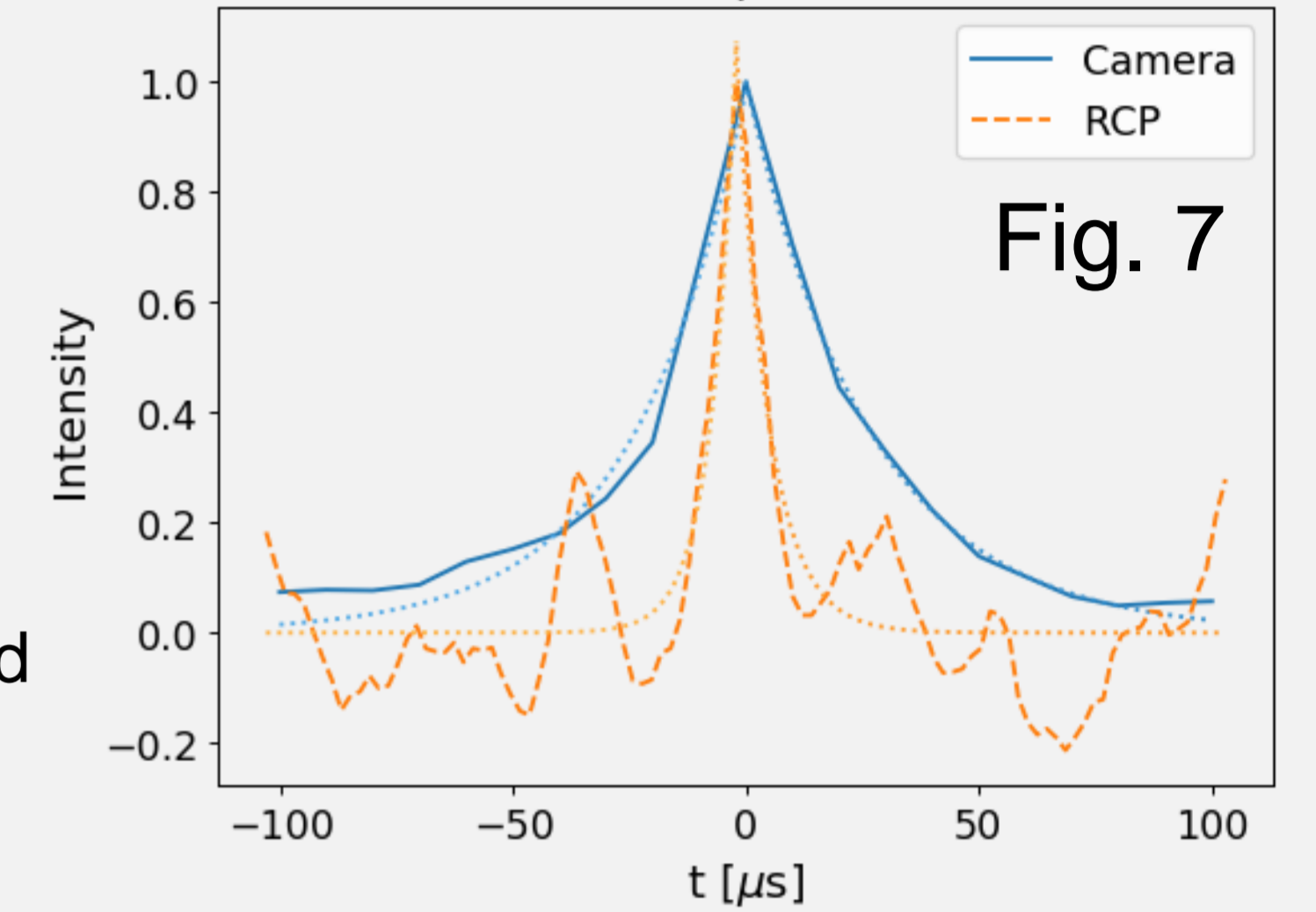
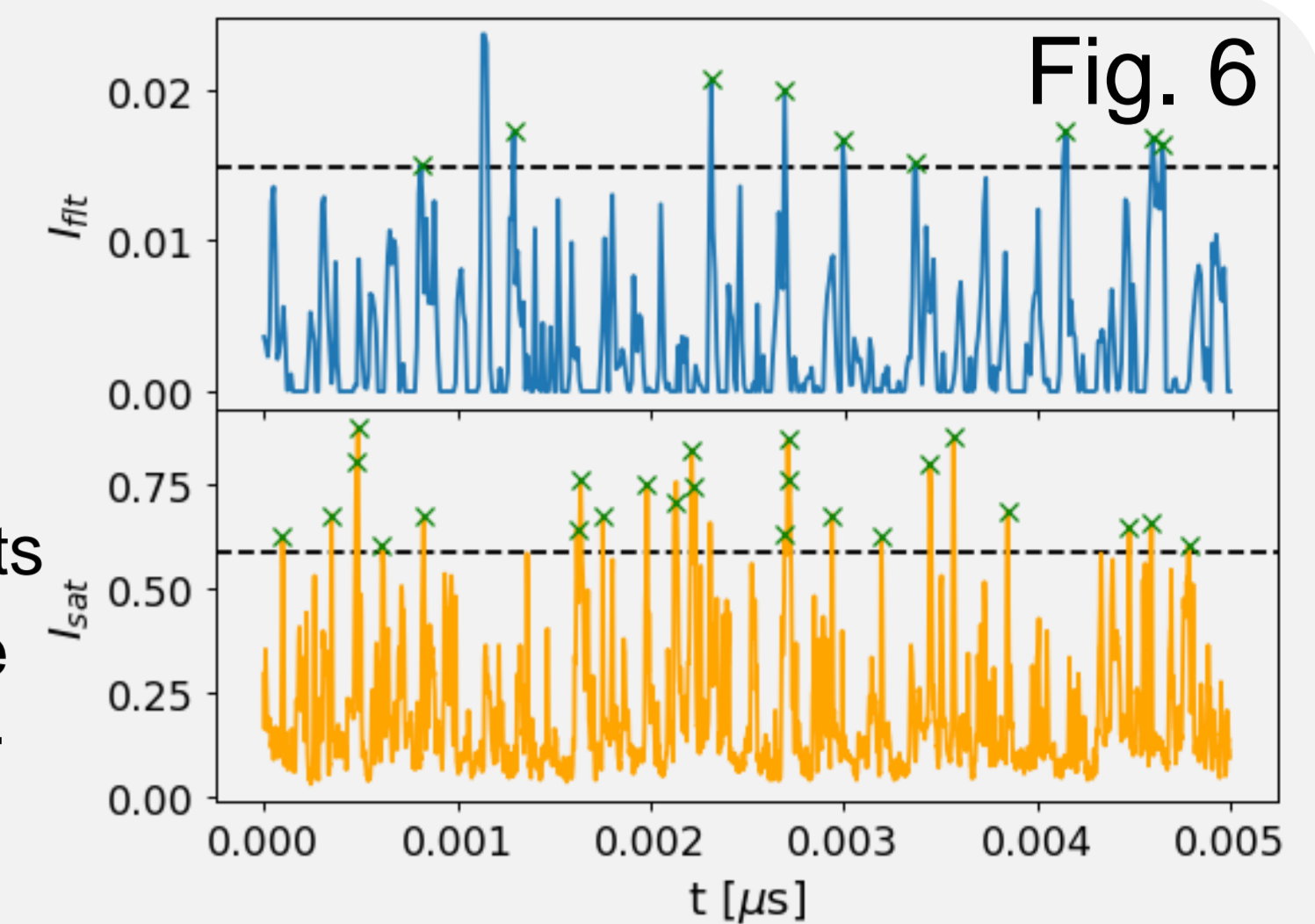
- **Both** show similar intermittent bursts
- **Camera** has flatter background due to background subtraction and non-negative SART inversion
- Peaks with $I > I_{thresh} = \mu + 2.5 \sigma$ labelled

- **Fig. 7** shows the **conditional average** waveforms for each diagnostic for peaks above I_{thresh}

- **Both** highly **symmetrical** as previously seen in MAST [4]
- Absence of sharp rising edge and long tail
- Broader **camera** waveform
 τ_{rise}/τ_{fall} : 24/26 μs vs 5/7 μs

- **Fig. 8** compares the **radial profiles** of the statistical moments of I

- **Mean** profile shows typical exponential fall off with slight flattening in far SOL
- **Skewness** increases radially before dropping in PFC shadow
- Good general agreement between diagnostics up to PFC shadow



Filament statistics

- **Fig. 9** is the distribution of **waiting times** τ_{wait} from each diagnostic
- Exponential distribution indicative of **Poisson process**
- For same I_{thresh} **camera** has longer τ_{wait} : 560 μs vs 110 μs
- **Camera** requires $I_{thresh} = \mu + 0.2 \sigma$ for same τ_{wait} as **RCP**

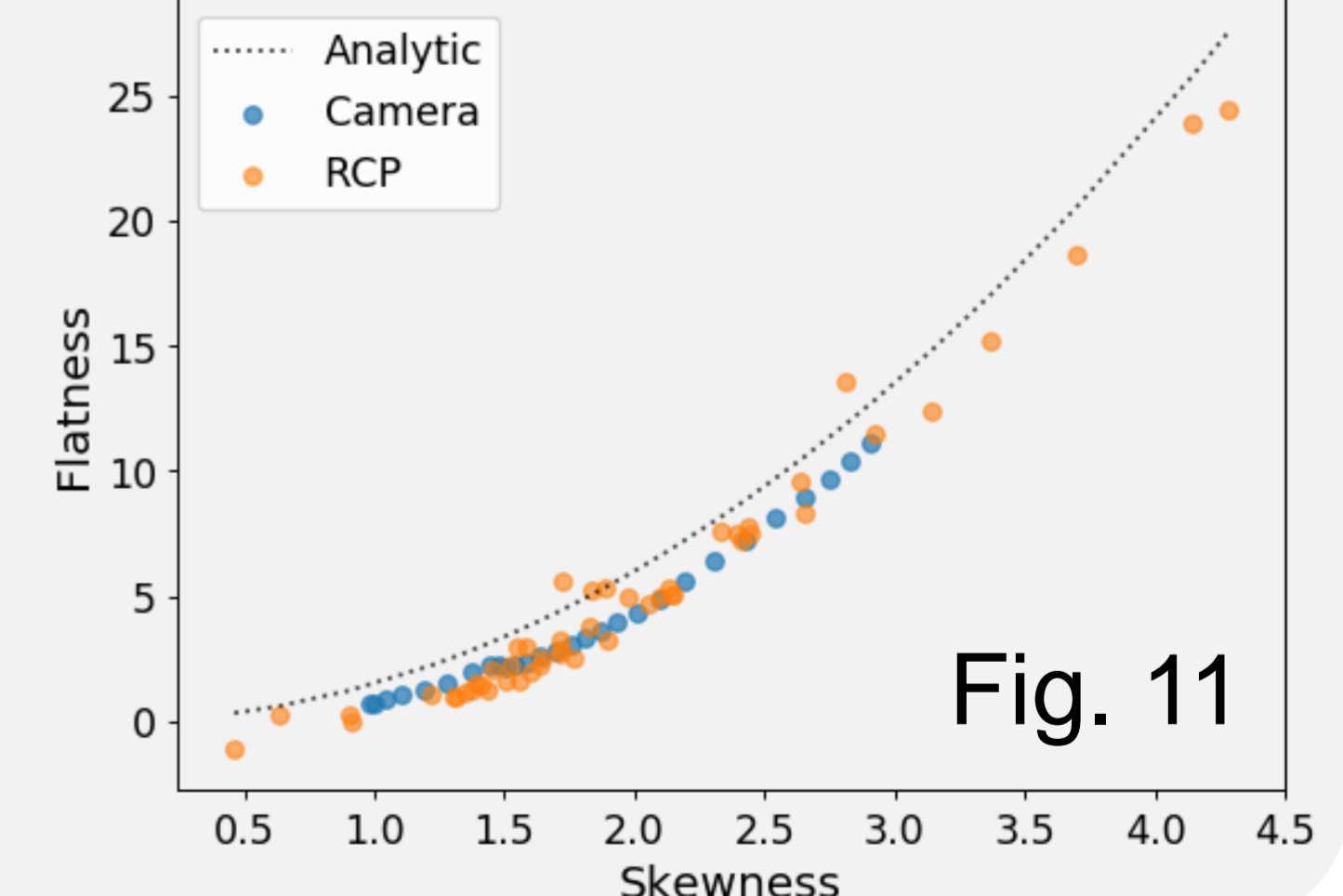
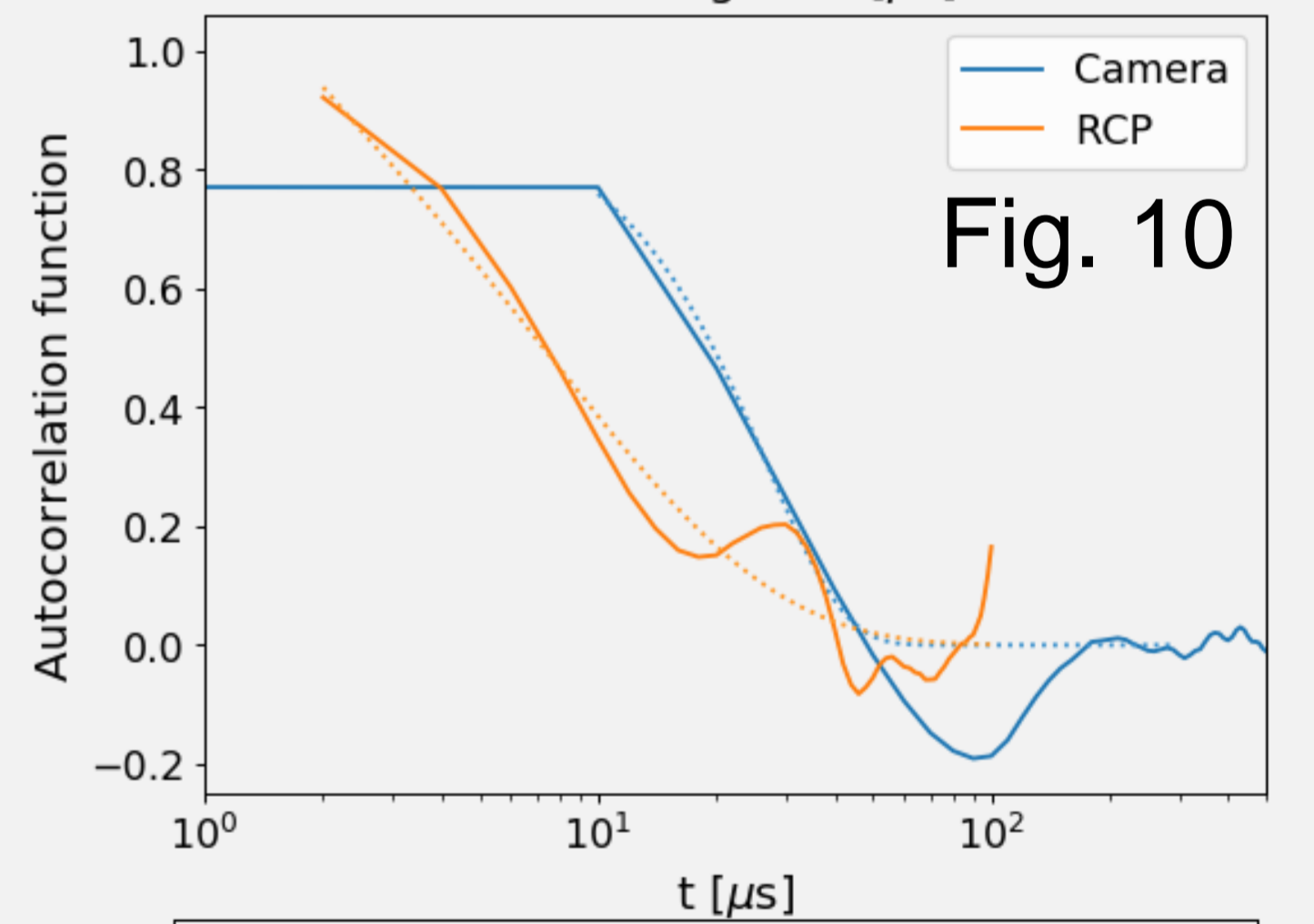
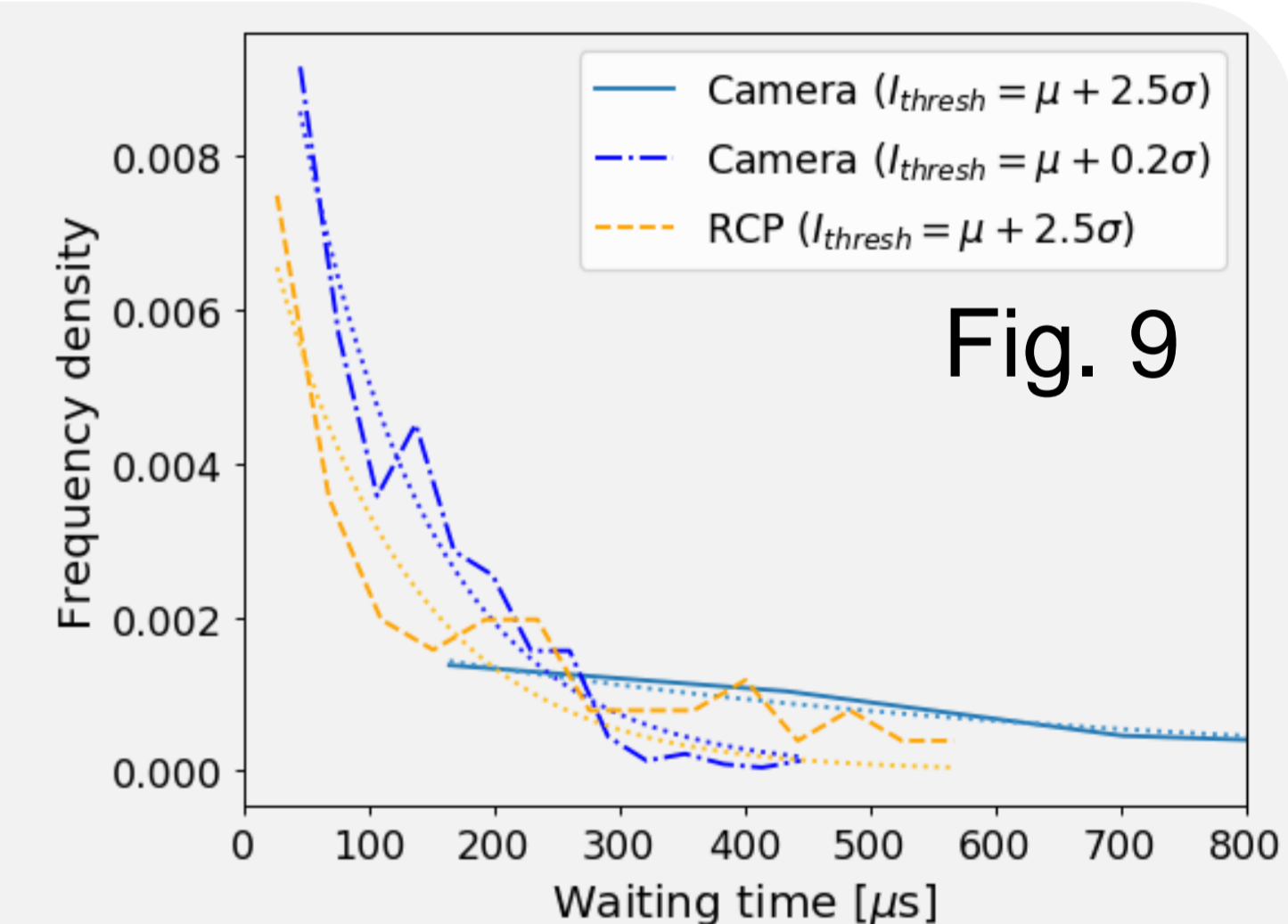
- **Fig. 10** shows the **autocorrelation function** for the two techniques

- Fit: $A_{fit}(t) = \exp[-(t/\tau_{ac})^{\beta-1}]$,
- As seen with conditional average the **camera** gives longer autocorrelation times, τ_{ac} : 40 μs vs 9 μs

- **Fig. 11** gives dependence of **flatness**, $F(I)$, of I as a function of the **skewness**, $S(I)$

- Well described by $F = 3/2 S^2$ indicating I fluctuation PDF follows a Gamma distribution

- Measurements of filament statistics are useful to feed into analytic framework [2] for modelling of SOL profiles from filament properties



Conclusions

- **RCP** filament analysis techniques successfully applied to visible **camera** data
- **Radial profiles** of mean, variance and skewness of intensity agree well
- **Conditionally averaged peaks** share symmetrical double exponential shape
- **Flatness vs skewness** indicates I fluctuations follow a Gamma distribution
- **Peak widths**, $\tau_{rise/fall}$, higher for **camera** likely due to "field line shadowing"
- **Waiting times**, τ_{wait} , $\sim \times 5$ longer for **camera** likely due to increased widths